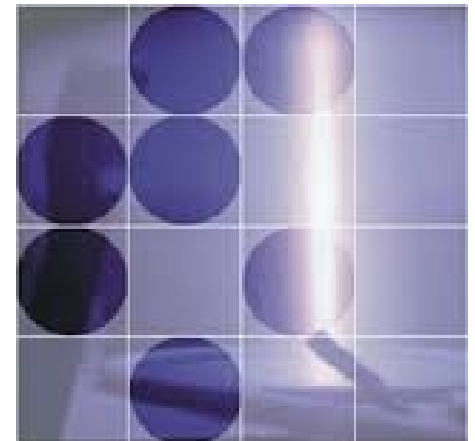


# Diamond Beam Monitor Simulation

Luka Kanjir

Pixel General Meeting

16/11/2015



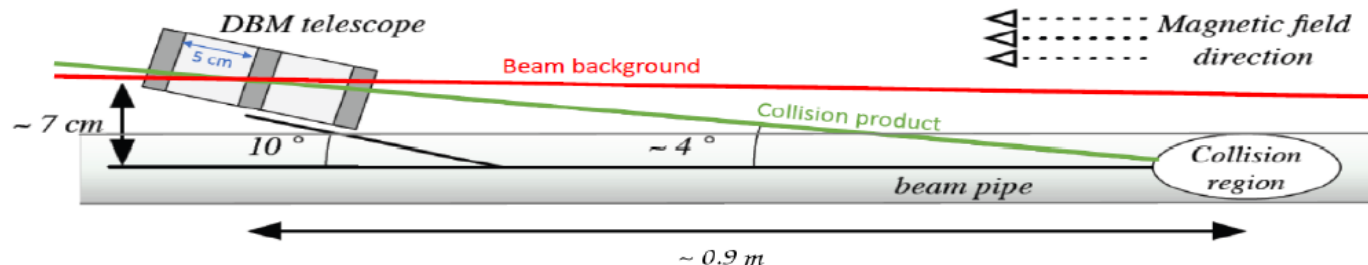
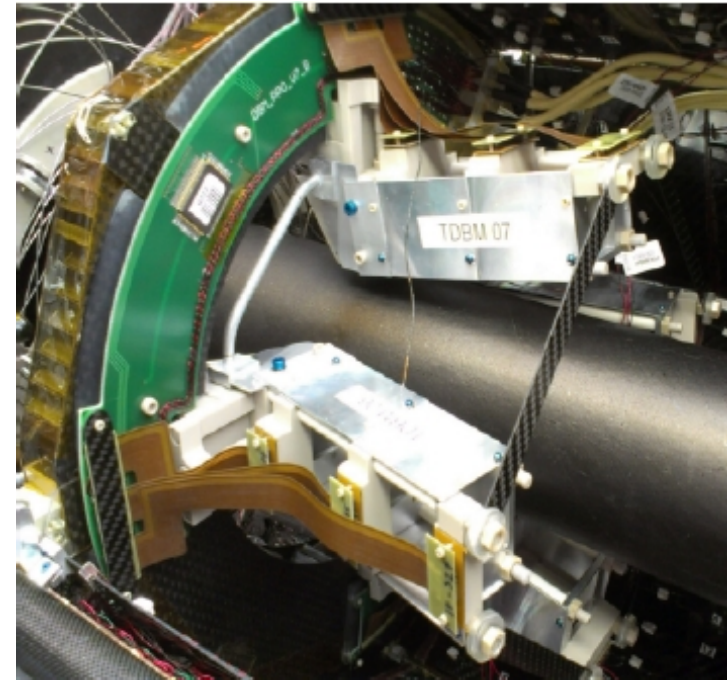


## Overview

- Diamond Beam Monitor
- Two streams for luminosity monitoring, H-stream and T-stream
- H-stream simulation
- Simulation results
- Possible ways to continue

## Diamond Beam Monitor (DBM)

- Diamond and silicon sensors for beam spot, background monitoring and bunch-by-bunch luminosity monitor
- 8 telescopes, 6 diamond, 2 silicon, 3+1 at each side of ATLAS with 3 modules per telescope, each module with FEI4B readout chip
- $3.2 < |\eta| < 3.5$ , first diamond based tracking detector
- $\sim 90$  cm from IP on both sides,  $\sim 70$  mrad angle
- Detector should be able to recognize if the particle is from background or from IP
- Part of pixel detector
- The active area of module is  $\sim 89\%$  ( $20 \times 16.8 \text{ mm}^2$ )
- 26880 pixels ( $80 \times 336$ ),  $50 \cdot 250 \mu\text{m}^2$  pixel size
- **Position sensitive detector with time resolution of 25 ns**





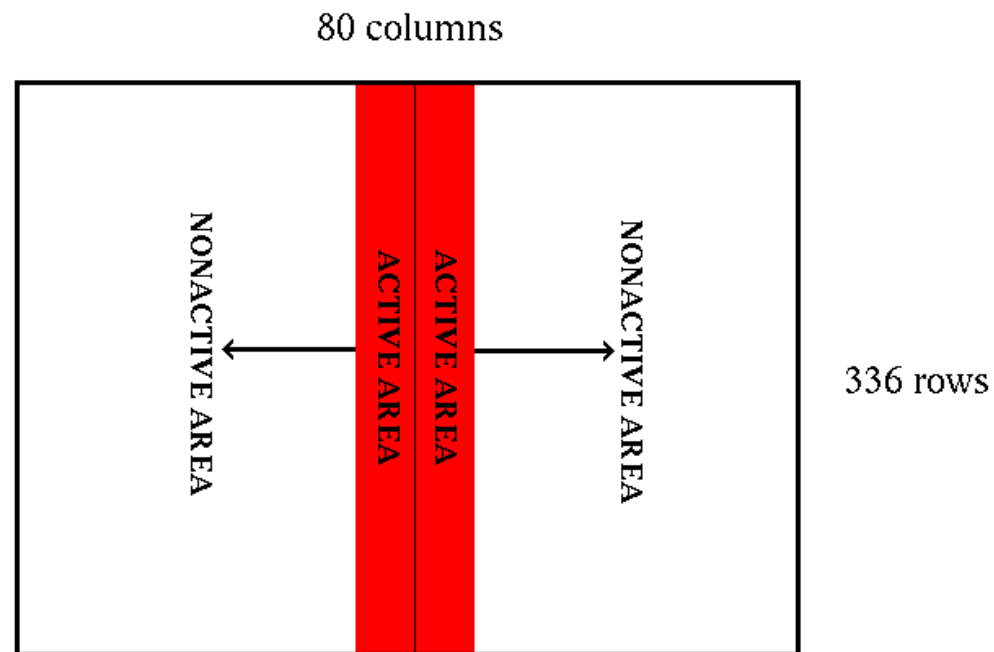
## DBM as luminosity detector

- There are two streams envisage for luminosity measurements
- Data that comes from FE-I4B chip are analyzed in two separated streams **T-stream** and **H-stream**
- **T-stream** (trigger-based stream) will be used for particle counting approach
  - detailed information: coordinates and ToT
  - developed in second stage
- **H-stream** (HitOr – based stream) – event counting approach
  - have single bit information 1 or 0 ( hit or no hit)
  - possible to include or exclude individual pixels
  - **this is what is studied in this work**



## Definition of active surface

- Active surface size defines acceptance → this means that the calibration has to be done for each size of active area
- The active area changed in way: starting from the center of chip, extending a given number of columns



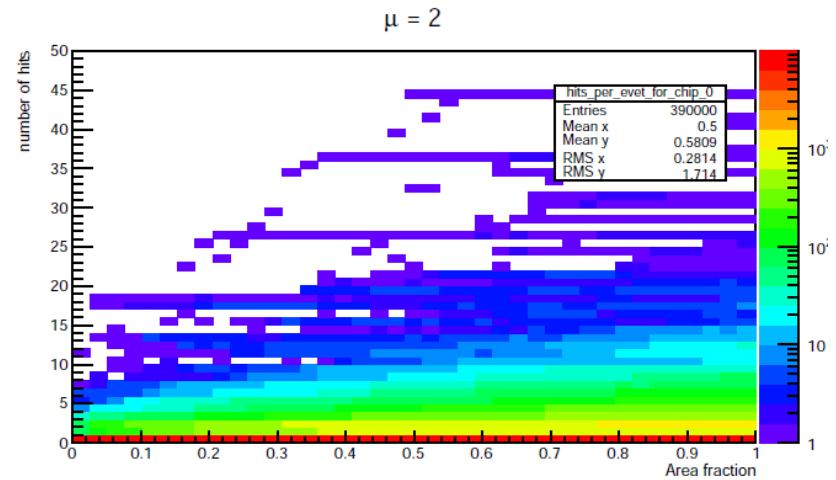
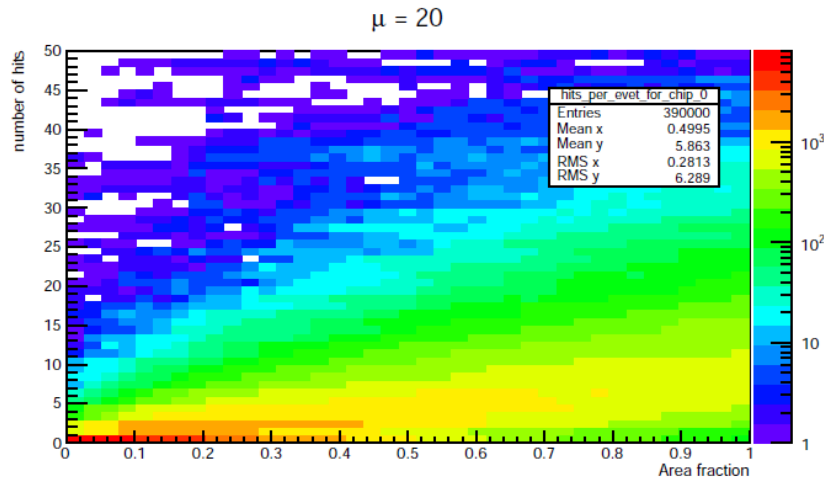
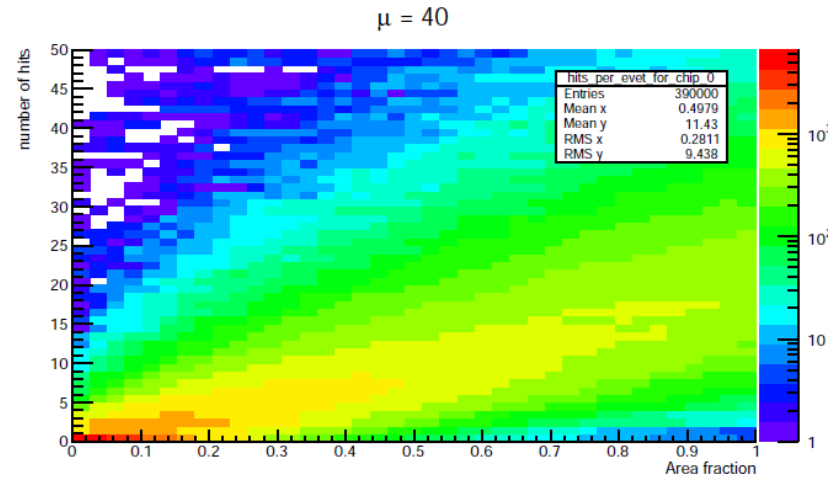
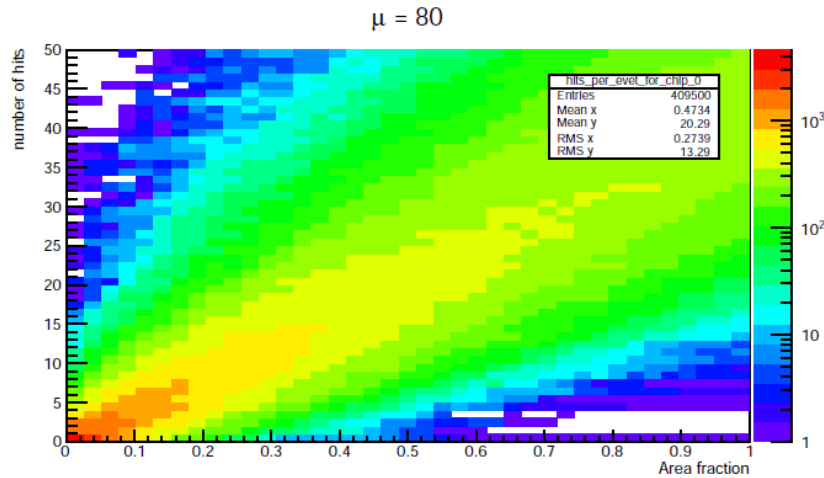


## Monte Carlo data

- For this study the Monte Carlo samples were used
- The samples were:
  - mc15\_13TeV.159000.ParticleGenerator\_nu\_E50.recon.RDO.e3711\_s2576\_s2132\_r6565
  - mc15\_13TeV.159000.ParticleGenerator\_nu\_E50.recon.RDO.e3711\_s2576\_s2132\_r6566
  - mc15\_13TeV.159000.ParticleGenerator\_nu\_E50.recon.RDO.e3711\_s2576\_s2132\_r6567
  - mc15\_13TeV.159000.ParticleGenerator\_nu\_E50.recon.RDO.e3711\_s2576\_s2132\_r6568
- For different samples have  $\langle \mu \rangle = 2, 20, 40$  and  $80$
- Number of events studied here was 10 000



## Number of hits in chip 0 for different $\langle\mu\rangle$

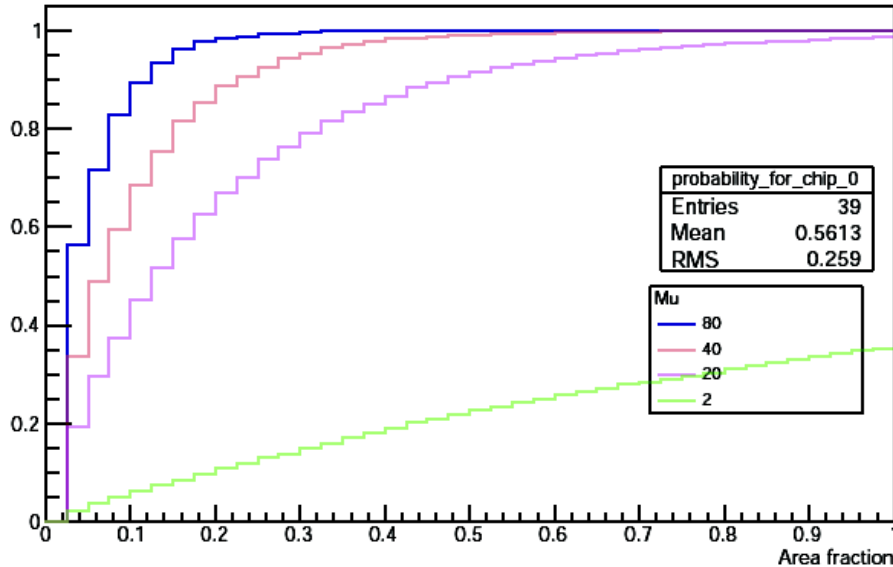


- Plots shows event distribution versus number of hits and versus active area of detector
- As  $\langle\mu\rangle$  increases, there are more and more events in which the number of hits in chip is higher

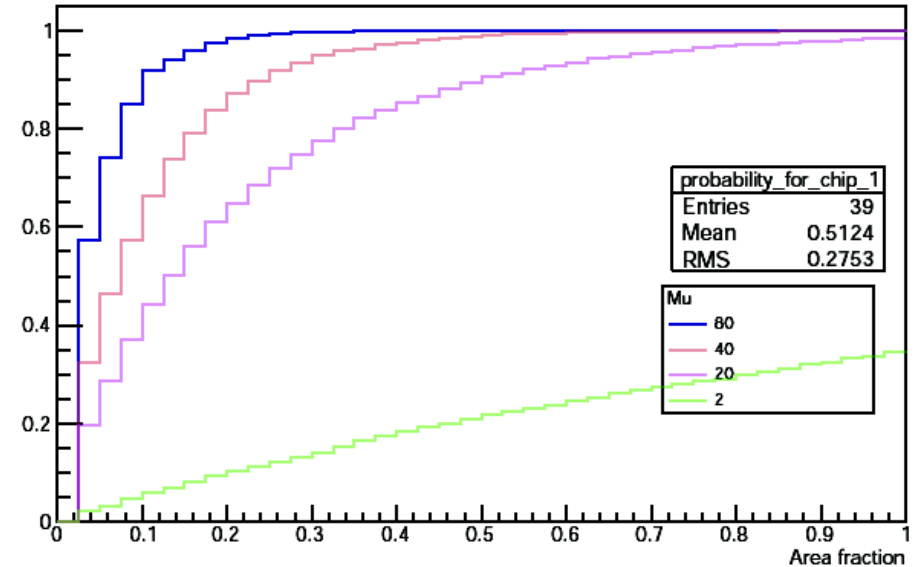


## Event probabilities for three chips

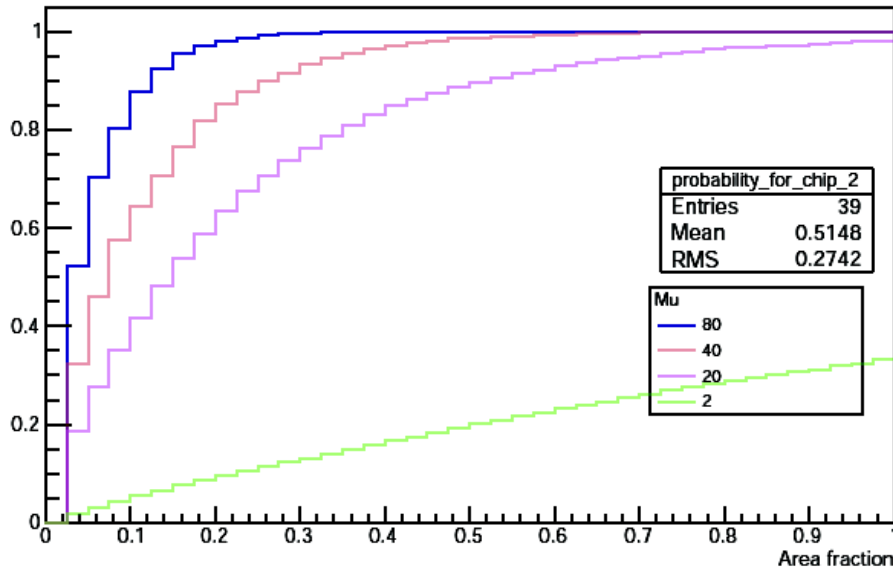
probability\_for\_chip\_0



probability\_for\_chip\_1



probability\_for\_chip\_2

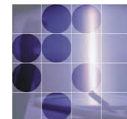


- This histograms shows how event probabilities for chips depends upon the active area of chip
- The probability that the chip is hit was calculated as ratio between non empty events and number of recorded events

$$r_{OR} = \frac{N_A}{N_E}$$

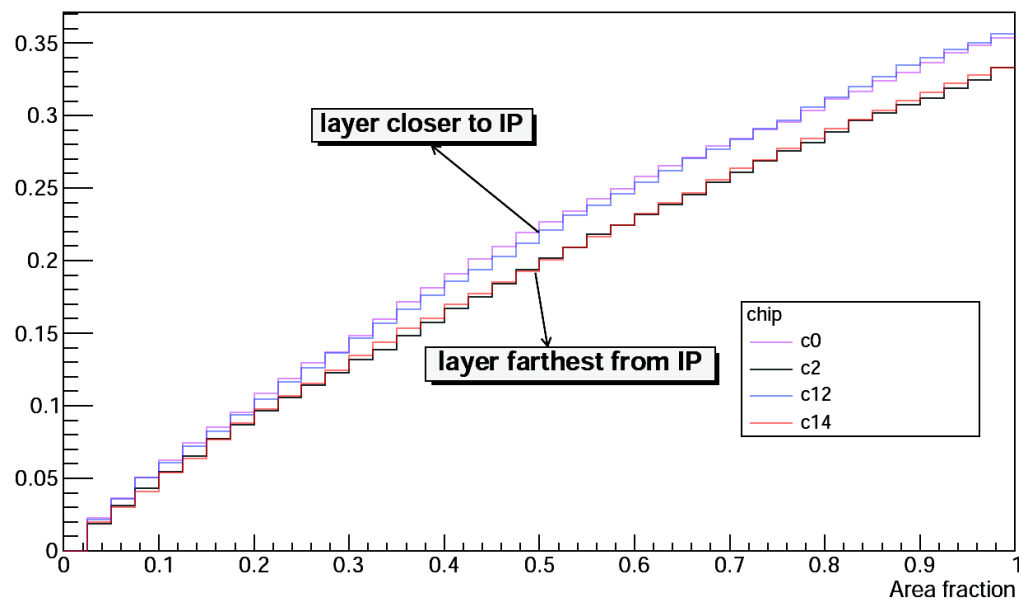
- For higher  $\langle\mu\rangle$ , event probability is rising much faster with increasing active area of detector





## Event probabilities for different chips with $\langle\mu\rangle=2$

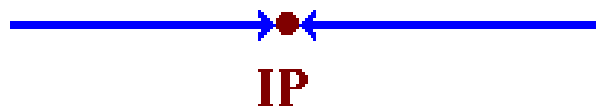
$\mu=2$



- c0 and c12 are the chips closest to the IP, c2 and c14 are chips which are the farthest from IP
- Event probabilities for chips closer to IP are higher

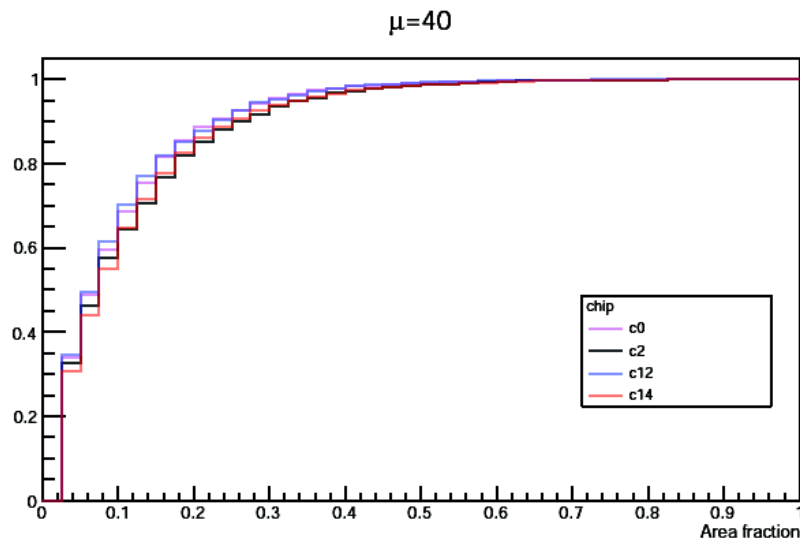
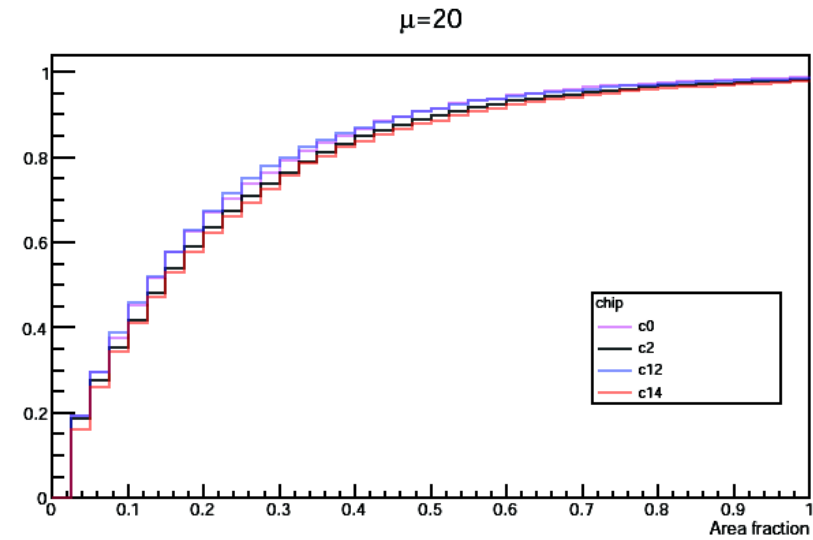
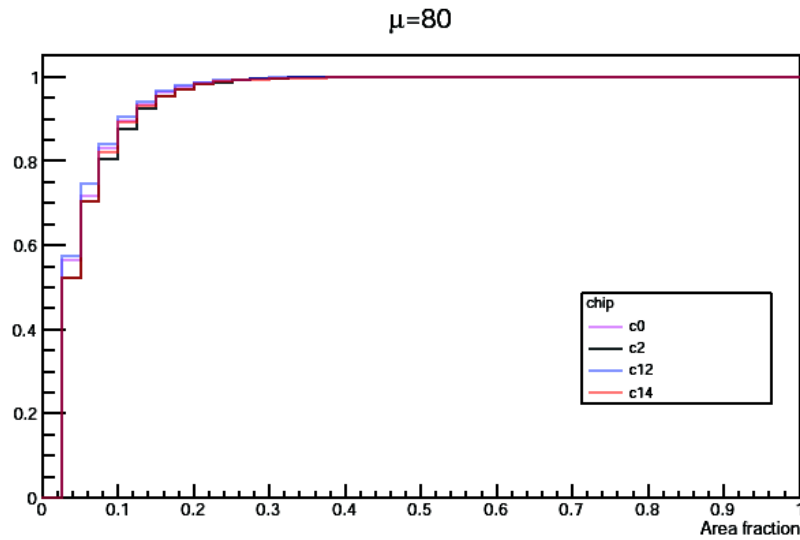
2 1 0  
| | |

12 13 14  
| | |





# Event probabilities for different chips with $\langle\mu\rangle = 20, 40$ and $80$



2 1 0  
| | |



12 13 14  
| | |



## Calibration constant, c

- To calculate the  $\mu_{\text{vis}}$  the following equation was used

$$\mu^{\text{vis}} = -\ln(1 - r_{\text{OR}})$$

- $\langle \mu \rangle$  were known from Monte Carlo sample, so with it and  $\mu^{\text{vis}}$  the calibration constant was calculated from

$$c = \frac{\mu^{\text{vis}}}{\langle \mu \rangle}$$

- The error estimate for  $\mu^{\text{vis}}$  is given by

$$\sigma_{\mu_{\text{OR}}^{\text{vis}}} = \sqrt{\frac{1}{N_E}} \cdot \sqrt{\frac{r_{\text{OR}}}{1 - r_{\text{OR}}}}$$

- The error for c is then just

$$\sigma_{c_{\text{OR}}} = \frac{\sigma_{\mu_{\text{OR}}^{\text{vis}}}}{\langle \mu \rangle}$$



## Chip 2

- Next table shows the calibration constants and visible  $\mu$  with errors for chip 2
- The active area for this data is 32.5 % of the chip

$\langle\mu\rangle$	$\mu_{\text{vis}}$	$\Delta \mu_{\text{vis}}$	c	$\Delta c$
2	0.1489	0.0040	0.0745	0.0020
20	1.5498	0.0192	0.0775	0.0009
40	2.9431	0.0424	0.0735	0.0011
80	6.2146	0.2180	0.0777	0.0027

- Calibration constant for chip 2 is ~7.5 %



## Calibration constants for all chips placed in telescopes (T0 to T7) for $\langle\mu\rangle=20$ and active area 32.5 %

Closest to the IP

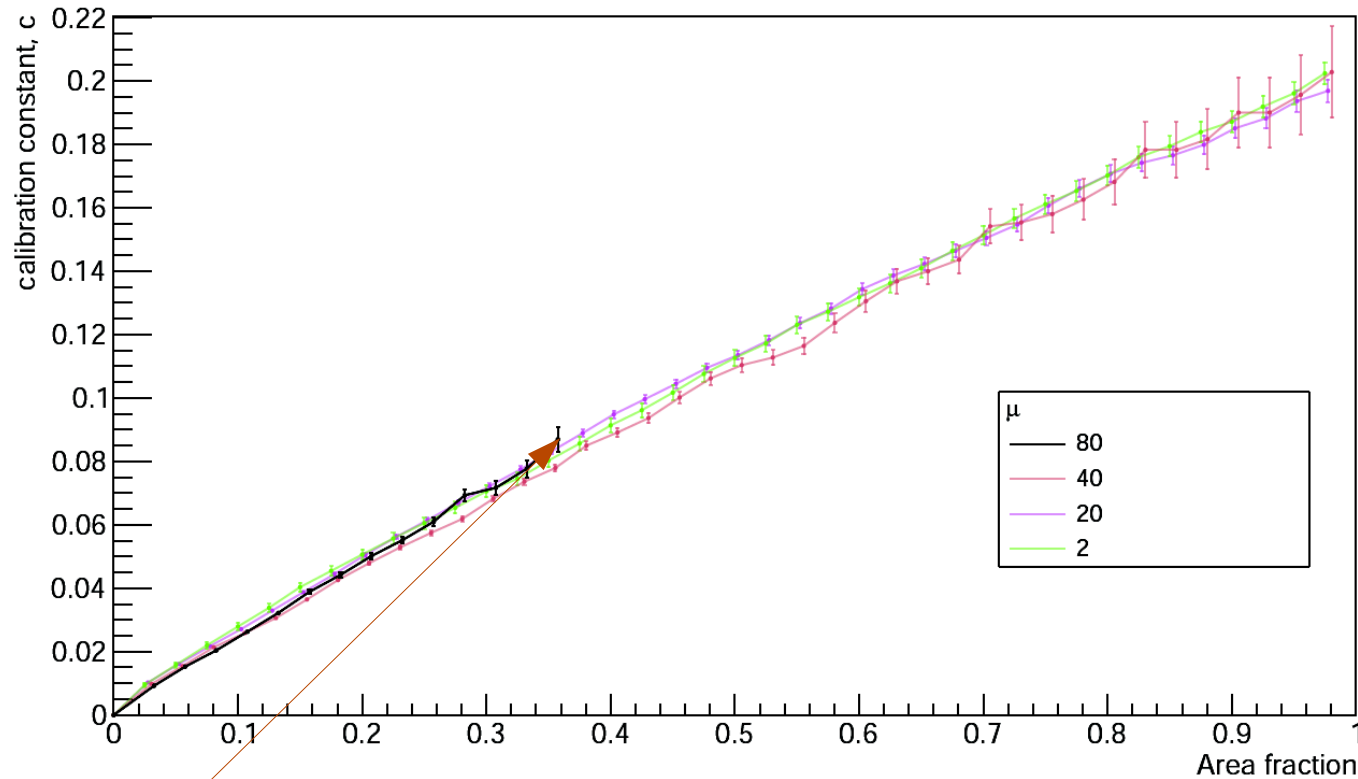
plane	c of T0	c of T1	c of T2	c of T3	c of T4	c of T5	c of T6	c of T7
0	0.0844	0.0810	0.0831	0.0852	0.0867	0.0831	0.0854	0.0861
1	0.0806	0.0779	0.0789	0.0782	0.0815	0.0785	0.0779	0.0829
2	0.0775	0.0727	0.0744	0.0746	0.0767	0.0747	0.0757	0.0779

Farthest from the IP

- From above table it can be seen that chips which are closest to IP have have similar calibration constants
- Chips which are farthest from IP have in average smallest calibration constants

## Chip 2 calibration constant, $c$

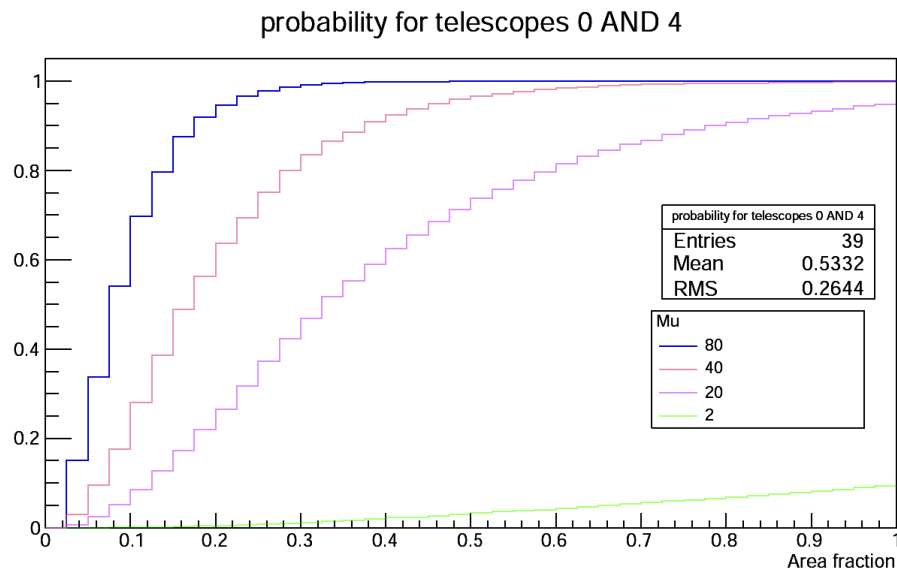
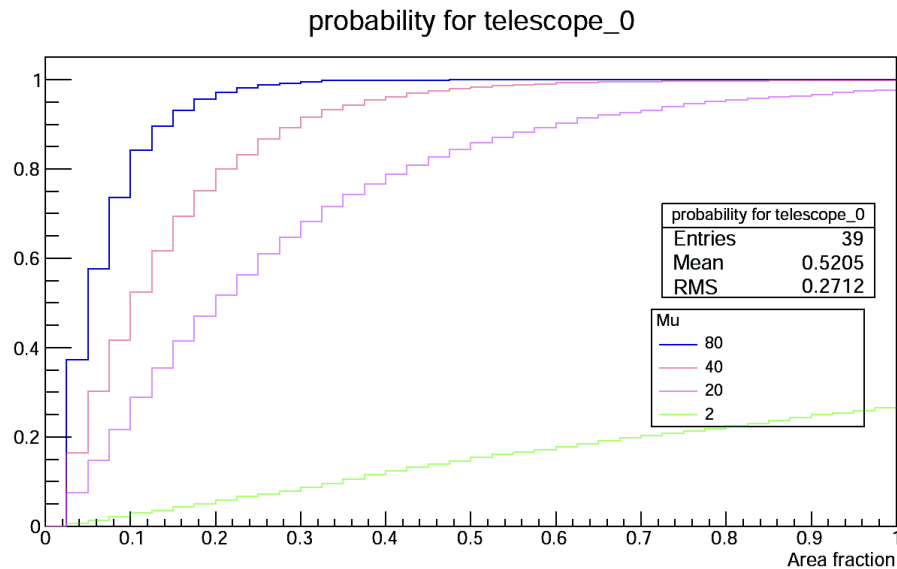
Calibration constant for chip 2



- The plot shows calibration constants for chip 2 for different  $\langle\mu\rangle$
- This is done so that the simulation could be tested
- For  $\langle\mu\rangle = 80$  the calibration constant is just calculated up to active area  $\sim 35\%$  because the statistics was too low, and with my script it was not possible to get the results which would make sense
- Calibration constants for different  $\langle\mu\rangle$  agree within an error



## Telescope event probabilities



- This plots shows probability that telescopes detects tracks
- Telescope 0 and 4 are on different sides of ATLAS
- Number of tracks trough one telescope is equal to smallest number of hits among the three chips of telescope
- When the calibration constants for single chip is determined, it is possible to investigate telescopes or even the different relations between telescopes
- If this two plots are compared, the main difference is that there are less events which have tracks in both telescopes 0 and 4



## Summary

- The calculation were made on Monte Carlo simulations for different  $\langle\mu\rangle$  with 10 000 events
- Calibration constants are very similar for the chips in the same layer, it is  $\sim 8\%$
- The calibration constant is consistent for all  $\langle\mu\rangle$  samples
- After good understanding the chips, it is possible to investigate telescopes and even the different combinations of them